Simplify the following radicals.

1.
$$\sqrt{54}$$

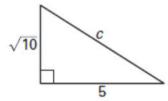
2.
$$\sqrt{250}$$

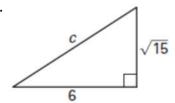
3.
$$\sqrt{40}$$

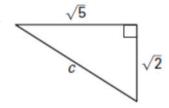
4.
$$\sqrt{50}$$

Use the Pythagorean Theorem to find the length of the hypotenuse. Write your answer in simplified radical form. $(a^2 + b^2 = c^2)$

5.







Multiply the radicals, then simplify if possible.

8.
$$\sqrt{5} \cdot \sqrt{3}$$

9.
$$\sqrt{10} \cdot \sqrt{2}$$

$$9. \sqrt{10} \cdot \sqrt{2}$$
 $10. 3\sqrt{5} \cdot \sqrt{5}$ $11. \sqrt{3} \cdot \sqrt{8}$

11.
$$\sqrt{3} \cdot \sqrt{8}$$

Evaluate the expression.

12.
$$(4\sqrt{5})^2$$

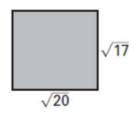
13.
$$(3\sqrt{2})^2$$

14.
$$(2\sqrt{6})^2$$

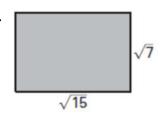
15.
$$(5\sqrt{3})^2$$

Use the area formula A = Iw to find the area of the rectangle. Round your answer to the nearest tenth.

16.

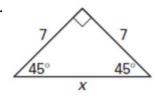


17.

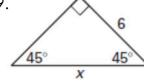


Find missing side lengths in the 45° - 45° - 90° triangle. Write your answer in radical form. (REMEMBER: hypotenuse = leg • $\sqrt{2}$)

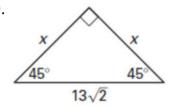
18.



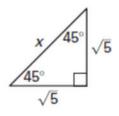
19.



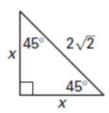
20.



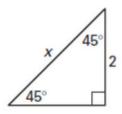
21.



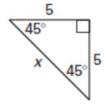
22.



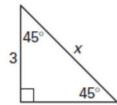
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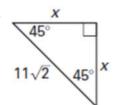
24



25.

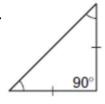


26



Determine whether there is enough information to conclude that the triangle is a $45^{\circ}-45^{\circ}-90^{\circ}$ triangle.

27.



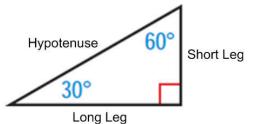
28.



30. In a 30°-60°-90° triangle, how many times longer than the shorter leg is the longer leg?

Find the value of x in the following 30° - 60° - 90° triangles. Write your answer in simplified

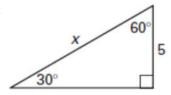
radical form.



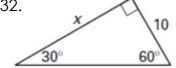
Hypotenuse = 2 • short leg

Long leg = short leg • $\sqrt{3}$

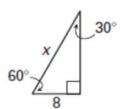
31.

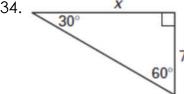


32.

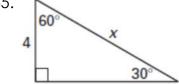


33.

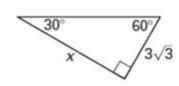




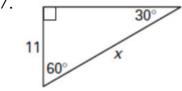
35.

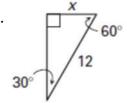


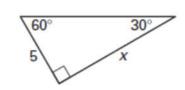
36.



37.







Find the value of x in the following 30° - 60° - 90° triangles. Write your answer in simplified radical form.

USE THIS TO HELP YOU!

Hypotenuse

60°

Short Leg

Long Leg

Hypotenuse = 2 • short leg

Long leg = short leg • $\sqrt{3}$

